

RECOVERY (FACTOR) CALCULATIONS

Note Title

1/11/2018

Class Problem Discussion:

Estimate Recovery Factor for four situations, where initial condition is 100 bar in a container and final condition, after "production" removal of something from the container, is 1 bar.

① Pure H_2O

Initial Phase @ 100 bar
Liquid

② Pure CO_2

Gas

③ H_2O saturated with CO_2

Liquid

④ CO_2 saturated with H_2O

Gas

RECOVERY (FACTOR) CALCULATIONS

$$RF_x = \frac{Q_p}{Q_{Ri}} = \frac{N_p}{N} = \frac{G_p}{G} \quad \begin{array}{l} x = \text{surface} \\ \text{product} \\ \bar{g} \text{ SG} \\ \bar{o} \text{ SO (SO)} \end{array}$$

Q = Total cumulative volume

N = 10IP 1STOIP 00IP

G = 1GIP 0GIP

Q_{Ri} = fictitious surface product volume produced IF all of the reservoir fluids at P_{Ri} were brought to the surface and recovered at the surface

Q_p = $Q_{Ri} - Q_R$ = actual surface product volume produced @ P_R

Q_R = fictitious surface product volume produced IF all of the reservoir fluids at P_R were brought to the surface and recovered at the surface

(1) Reservoir Pore Volume $V_p(P_R)$ $V_p(P)$

(2) Reservoir Fluids Volume $V_f(P)$

- of the reservoir fluids in the pores currently

$V_g(P)$
 $V_o(P)$
 $V_w(P)$

(3) What reservoir fluids stay in the pore volume

- $k_r(S)$
- Darcy
- Geology
- Well location
- Injections
- Aquifer

$V_{pg}(P)$
 $V_{po}(P)$
 $V_{pw}(P)$

"R" Oils - very complicated (another course)

"R" Gases - simpler & in this course

(4) Convert reservoir phase volumes into surface product volumes $f(P)$

B	R_s	R_3
Volume Factor	Solution Gas Oil	Ratios

- Phase Properties

$$\begin{array}{cc} J_g & J_o \\ M_g & M_o \end{array}$$

Equations of State:

Eq. P-V-T-n

Cubic EOS

- van der Waals

185x?

- Redlich-Kwong

(Soave)

SRK ✓

- Peng-Robinson

PR ✓

Apply to Gas
(Vapor)

and Liquid Phases
(oil)

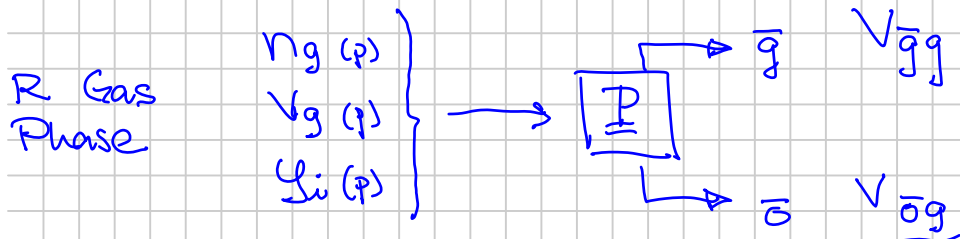
Near-Critical phase behavior

Used Reservoir-Production-Surface Process

Pure H₂O: $c \equiv -\frac{1}{V} \left(\frac{dV}{dp} \right)_{T,n} = \text{constant}$

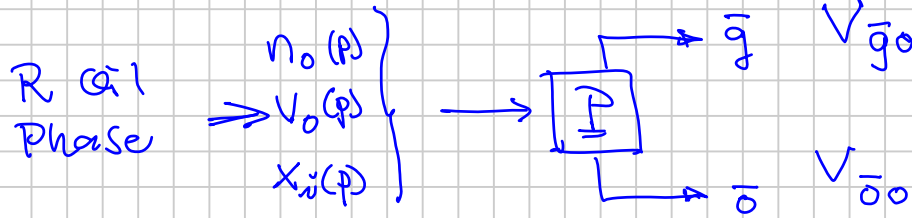
Pure CO₂: $pV \approx nRT$

④ @ ϕ



$$V_s(p) = \frac{V_{\bar{g}\bar{g}}(p)}{V_{\bar{g}\bar{g}}(p)}$$

$$B_g(p) = \frac{V_s(p)}{V_{\bar{g}\bar{g}}(p)}$$



$$R_s(p) \equiv \frac{V_{\bar{g}\bar{o}}(p)}{V_{\bar{o}\bar{o}}(p)}$$

$$B_o(p) \equiv \frac{V_o(p)}{V_{\bar{o}\bar{o}}(p)}$$

"EOS"
(Lab Data)

Footnote: Surface volume conservation is only an approximation

0.2% error \Rightarrow < 3% error

$(N_p)_{\text{correct}}$ vs $(N_p)_{\text{approx}}$